

This document lists primary and secondary literature of sparse approximate inverses based on Frobenius norm minimization (K -condition number minimization).

The bibliography does not intend to be exhaustive.

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